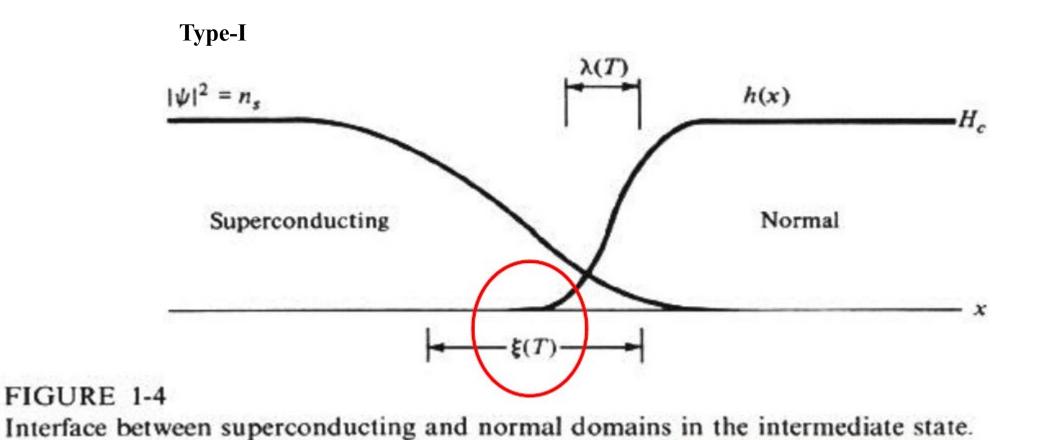
## Magnetic Field and Order Parameter Profiles in Type-I and Type-II Superconductors



 $From: \underline{http://www.phys.nthu.edu.tw/\sim spin/course/104S/Ch12-2-revised-2.pdf}$ 

$$\kappa = \frac{\lambda_{\rm eff}(T)}{\xi(T)} = \frac{2\sqrt{2}\,\pi H_c(T)\lambda_{\rm eff}^2(T)}{\Phi_0}$$

## Ginsburg Landau Parameter Tinkham, eq. (4-27)

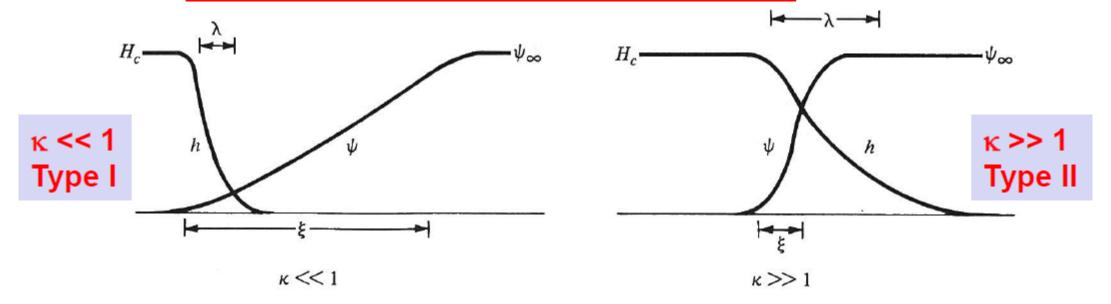


FIGURE 4-2

Schematic diagram of variation of h and  $\psi$  in a domain wall. The case  $\kappa \ll 1$  refers to a type I superconductor (positive wall energy); the case  $\kappa \gg 1$  refers to a type II superconductor (negative wall energy).

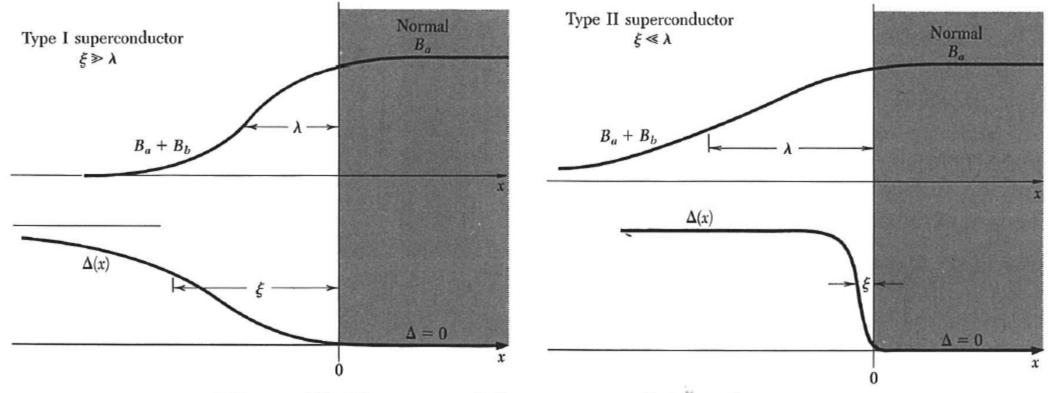


Figure 18 Variation of the magnetic field and energy gap parameter  $\Delta(x)$  at the interface of superconducting and normal regions, for type I and type II superconductors. The energy gap parameter is a measure of the stabilization energy density of the superconducting state.

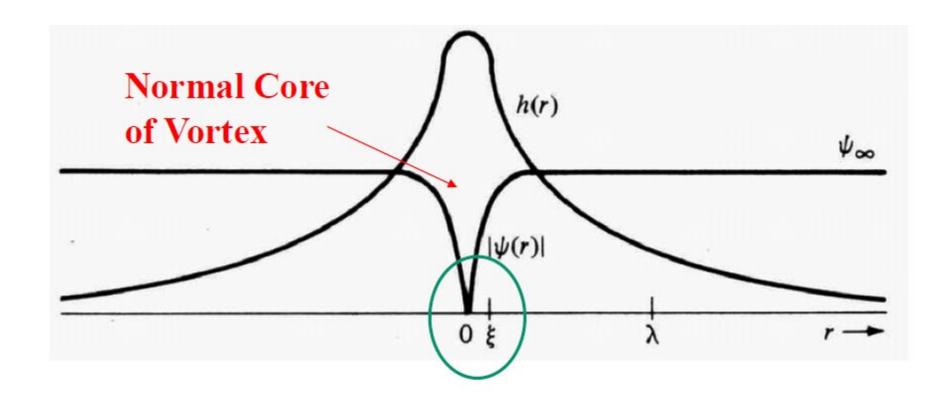
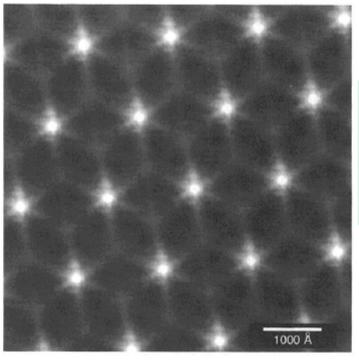


FIGURE 5-1 Structure of an isolated Abrikosov vortex in a material with  $\kappa \approx 8$ . The maximum value of h(r) is approximately  $2H_{c1}$ .

Flux lattice at 0.2K of NbSe<sub>2</sub>



Abrikosov triangular Lattice, as imaged by LT-STM, H. Hess et al

Figure 19 Flux lattice in NbSe<sub>2</sub> at 1,000 gauss at 0.2K, as viewed with a scanning tunneling microscope. The photo shows the density of states at the Fermi level, as in Figure 23. The vortex cores have a high density of states and are shaded white; the superconducting regions are dark, with no states at the Fermi level. The amplitude and spatial extent of these states is determined by a potential well formed by  $\Delta(x)$  as in Figure 18 for a Type II superconductor. The potential well confines the core state wavefunctions in the image here. The star shape is a finer feature, a result special to NbSe<sub>2</sub> of the sixfold disturbance of the charge density at the Fermi surface. Photo courtesy of H. F. Hess, AT&T Bell Laboratories.